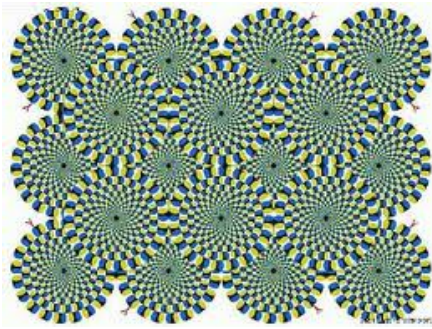


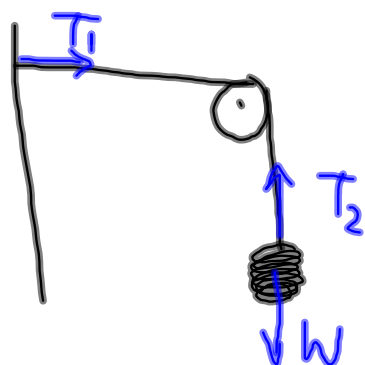
get your clicker

Lecture: Strings, Ramps and Circular Motion



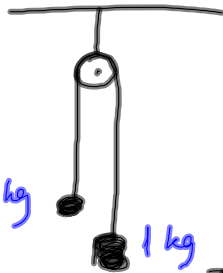
## STRINGS

PULLEYS ONLY CHANGE  
THE DIRECTION OF THE  
FORCE OF THE STRING (TENSION),  
NOT THE MAGNITUDE.



$$T_1 = T_2$$

EX. PROBLEM : "ATWOOD MACHINE"



GIVEN:

0.5 kg  
1 kg

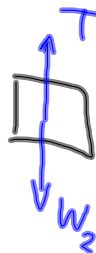
FIND

$a = ?$   
 $T = ?$

- ONE PULLEY w/ 2 WEIGHTS ATTACHED
- PULLEYS ARE FRICTION LESS
- STRINGS DON'T STRETCH

THINGS TO MEASURE / CALC:  
MASSES, TENSION, ACCEL

FBD



$$\sum F_y = may$$

$$T - W_1 = m_1 ay$$

$$T - 5 = 0.5 ay$$

$$\sum F_y = may$$

$$W_2 - T = m_2 ay$$

$$10 - T = 1 ay$$

(PLUGGED IN GIVENS)  
 $g \approx 10 \text{ m/s}^2$

- TWO EQ'NS IN TWO UNKNOWN'S  
SOLVE FOR 1 UNKNOWN FIRST  
THEN SUB INTO OTHER EQ'N  
AND SOLVE FOR 2ND UNKNOWN

$$T = 5 + 0.5 ay$$

$$10 - (5 + 0.5 ay) = ay$$

$$5 - 0.5 ay = ay$$

$$1.5 ay = 5$$

$$ay = \frac{5}{1.5} = 3.3 \text{ m/s}^2$$

$$T = 5 + 0.5 ay$$

$$= 5 + 0.5(3.3)$$

$$= 5 + 1.7$$

$$T = 6.7 \text{ N}$$

$$a_y = \frac{F_{\text{NET}}}{m} = \frac{3.3}{1} = \frac{1.7}{0.5}$$

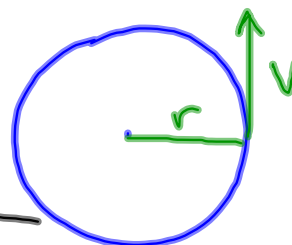
## CIRCULAR MOTION

CIRCULAR MOTION IS ACCELERATED MOTION.  $\left\{ \begin{array}{l} 1 \text{ T} \\ 2 \text{ F} \end{array} \right.$

T, THEREFORE THERE MUST BE A UNBALANCED FORCE

FORMULA FOR CIRCULAR ACCEL.

$$a_c = \frac{v^2}{r}$$



$a_c$	CIRC. ACCEL	$m/s^2$
$v$	TANGENTIAL VELOCITY	$m/s$
$r$	RADIUS	$m$

(EX)

CRUISE SET @ 15 m/s

RADIUS = 40 m

CAN THE CAR ACTUALLY DO THIS? ( $a \leq 0.9g$ )

$$a_c = \frac{v^2}{r} = \frac{15^2}{40} = 5.6 \text{ m/s}^2$$

$$\frac{a_c}{g} = \frac{5.6}{9.8} = 0.57 \checkmark \text{ YES}$$